

# APPLIED MECHANISM DESIGN FOR SOCIAL GOOD

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Lecture #22 – 04/12/2022

CMSC498T  
Mondays & Wednesdays  
2:00pm – 3:15pm



**COMPUTER SCIENCE**  
UNIVERSITY OF MARYLAND

# ANNOUNCEMENTS

Due tonight: Fair Allocation Quiz

Due on Monday, 4/25: Project Checkup

- Kind of like the project proposal, but regarding the current state of things
- Will be graded in a similar manner
- Remember that proposal comments are up!

# WHAT IS MACHINE LEARNING?

“The study of computer algorithms that can improve automatically through experience and by the use of data.”

## - Wikipedia

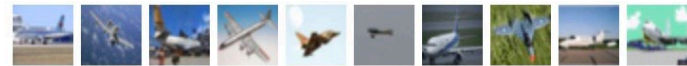
Let  $P$  be data. Let  $A$  be a set of labels.

Find a mapping  $M : P \rightarrow A$  in an attempt to most accurately identify the labels.

We want to estimate the label as best as possible under *constraints*.

A:            P:

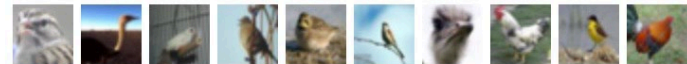
airplane



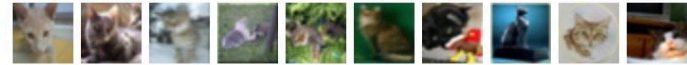
automobile



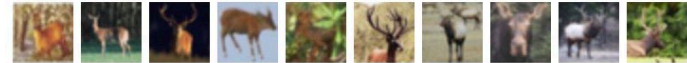
bird



cat



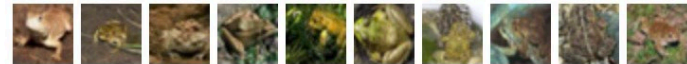
deer



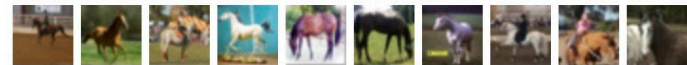
dog



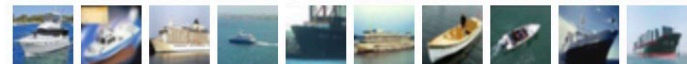
frog



horse



ship



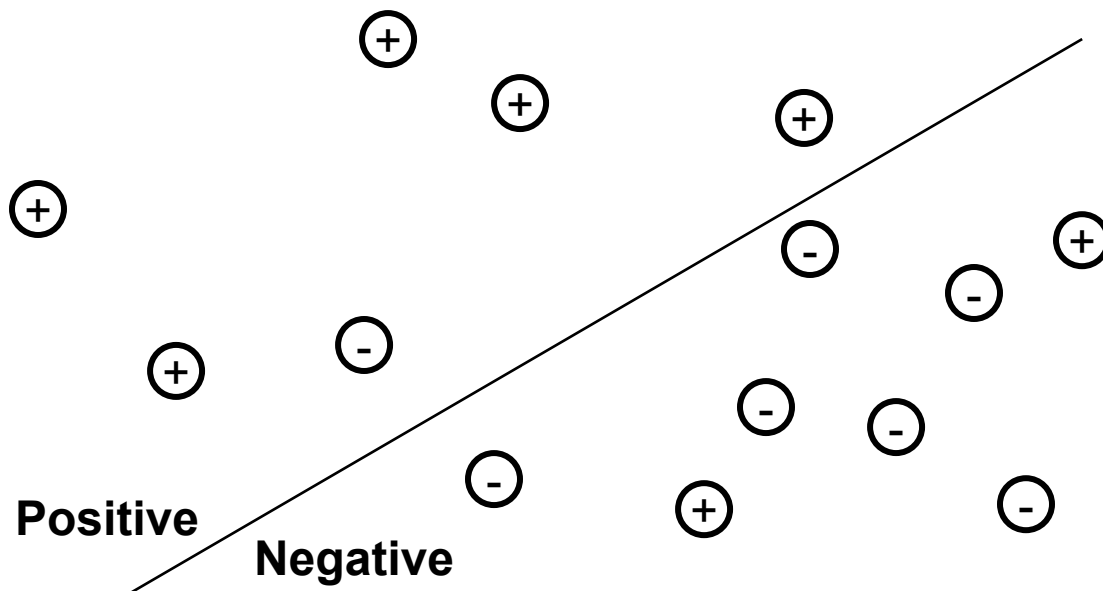
truck



# CONSTRAINT: LINEAR SEPARATOR

A constraint is any restriction on the solution map  $M$ .

Example:  $M$  must be a linear separator.



False Positives:

1

False Negatives:

2

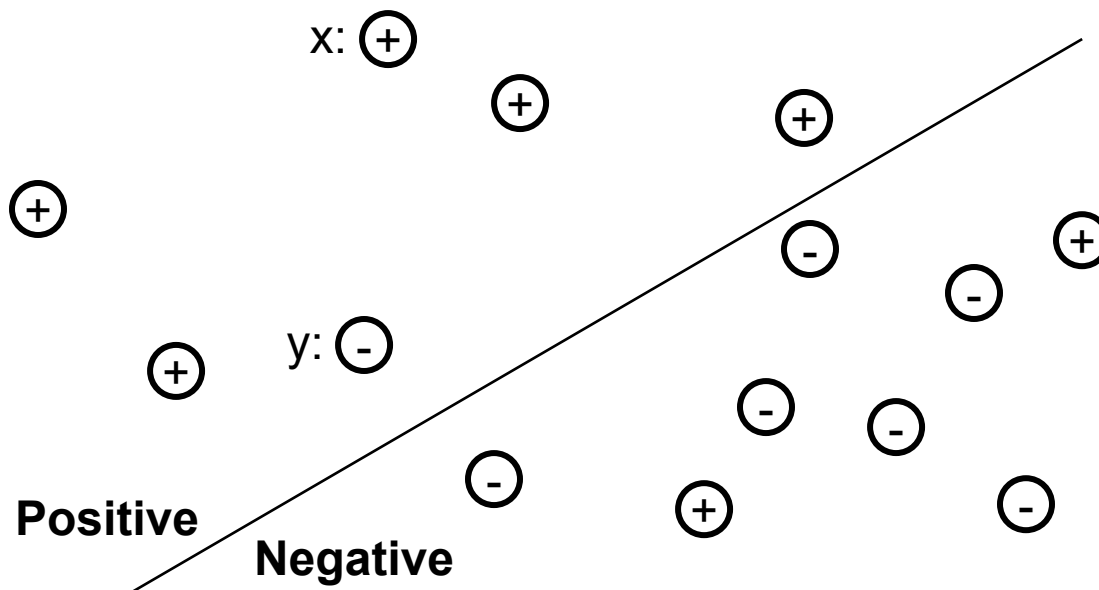
This may be the best  
linear separator

# LOSS FUNCTION AND LINEAR PROGRAMS

**Loss function:** A function  $L : P \times A \rightarrow R$  which tells you “how far away you are from a solution.

Say  $L(p, a)$  is 0 if  $x$ 's label is  $a$ , 1 otherwise (0-1 loss).

$L(x, +) =$



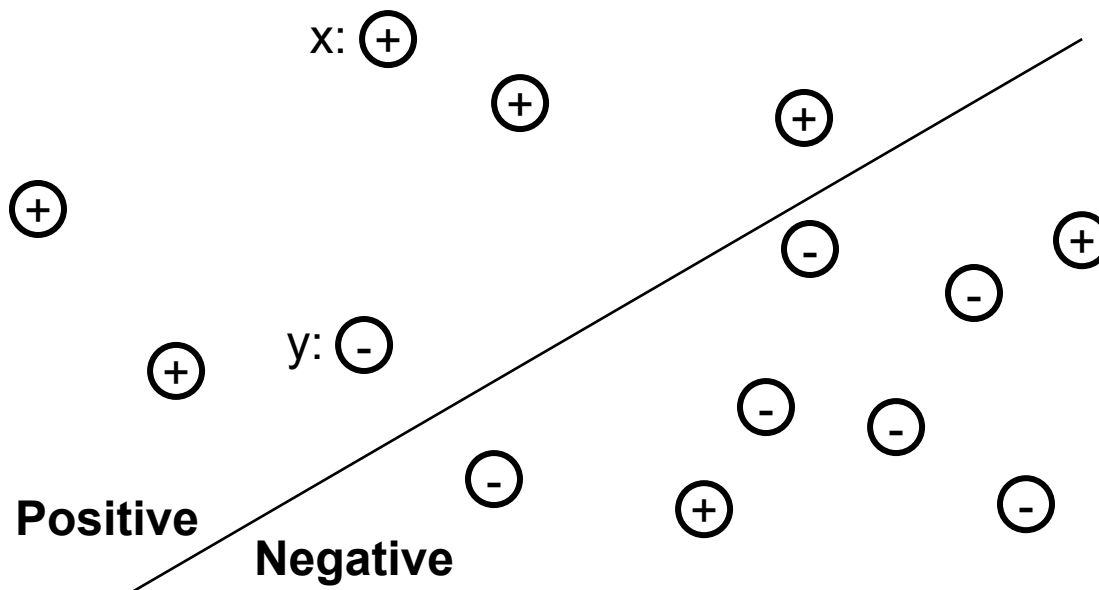
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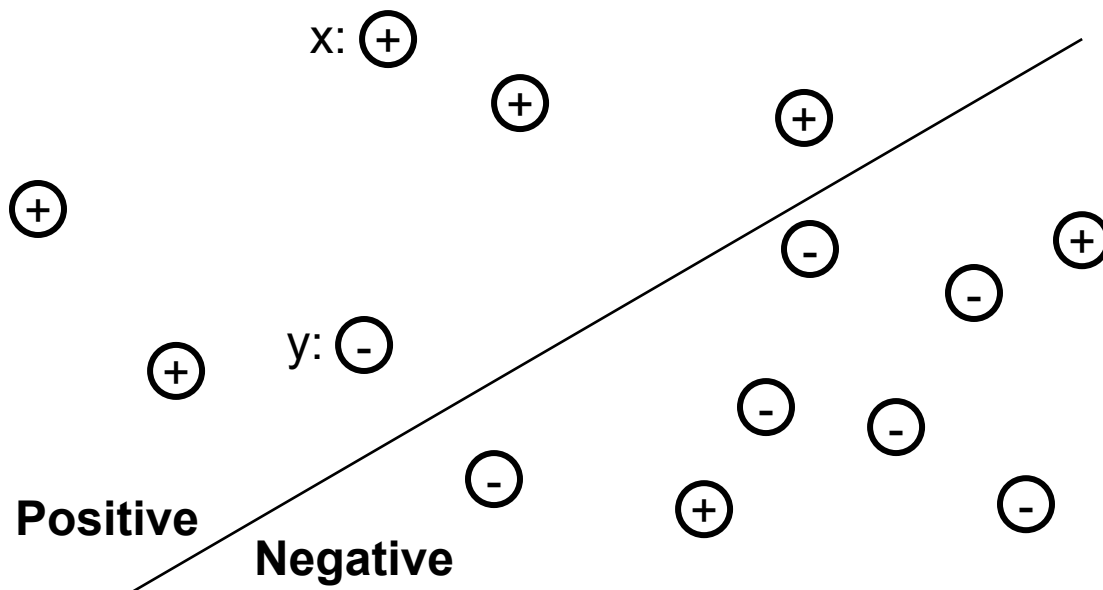
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$$L(x, +) = 0$$

$$L(y, +) = 1$$

Thus  $y$  is a bad label,  $x$  is a good label.

Goal: minimize total loss.

# IF IT AIN'T BROKE, DON'T FIX IT

Unfortunately, it is broken





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Unfortunately, it is broken



in lots of ways.



But let's focus on a few.

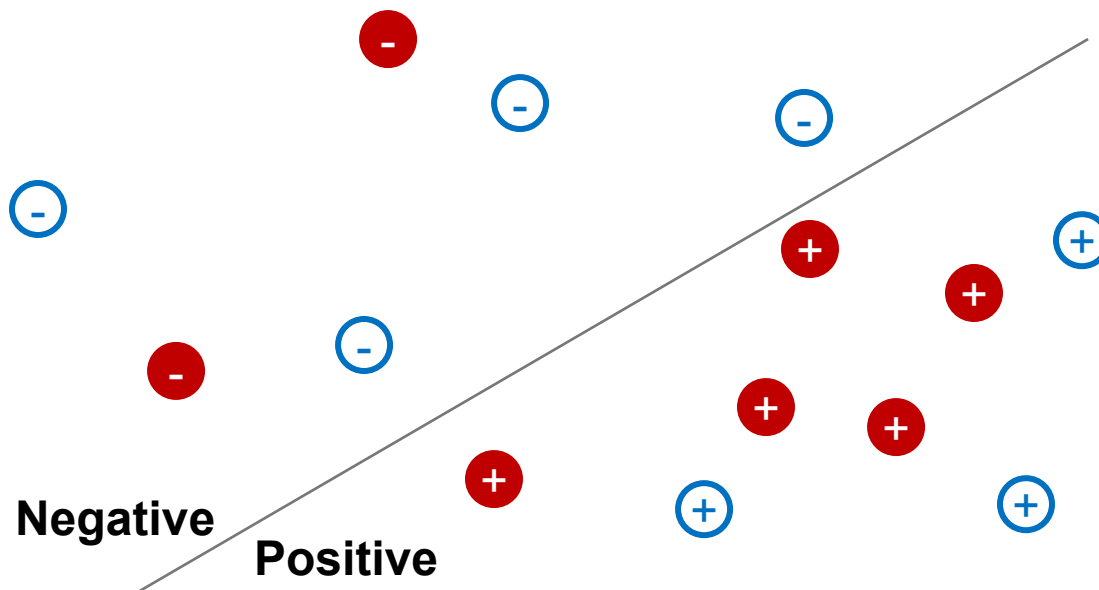
**Many machine learning projects that we rely on today discriminate against real people.**

- Credit card advertisements
- Google Ad selection
- Google name advertisements
- Recidivism risk
- Others: hiring decisions, school admission, etc.

# GROUP FAIRNESS

“**Group fairness**” or “**statistical parity**”: demographics in the positive group and negative group are the same as the whole distribution.

Say our demographics are blue and red points.



50% of the points are red, 50% are blue.

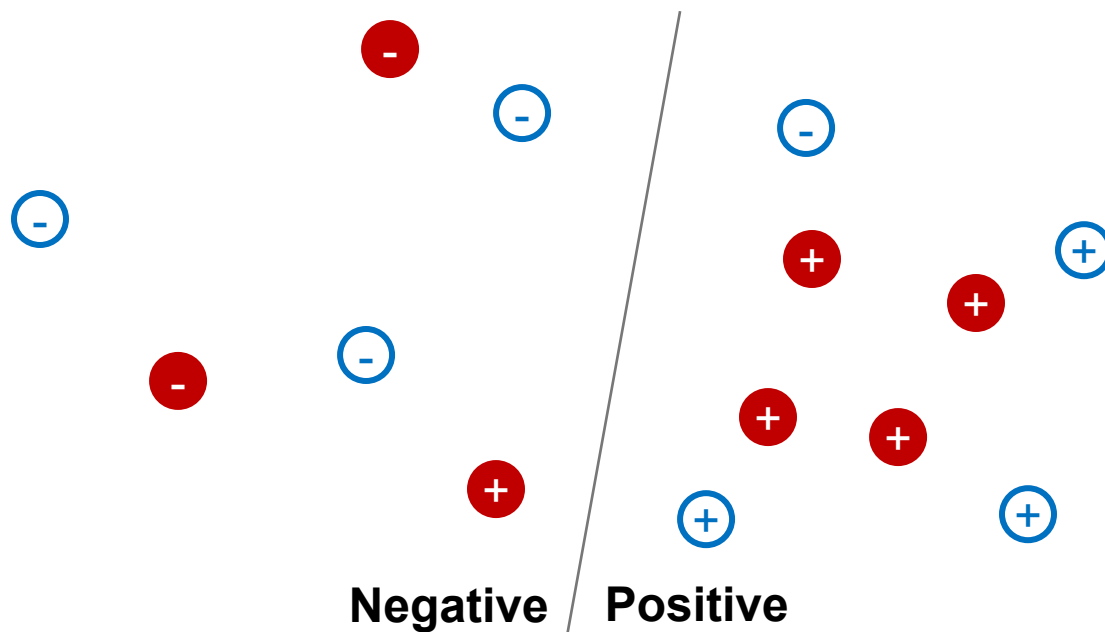
To be fair, 50% of the positive points must be red, 50% must be blue. Same with negative points.

This is not fair.

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This is fair.

# EXAMPLE: LOAN DECISIONS

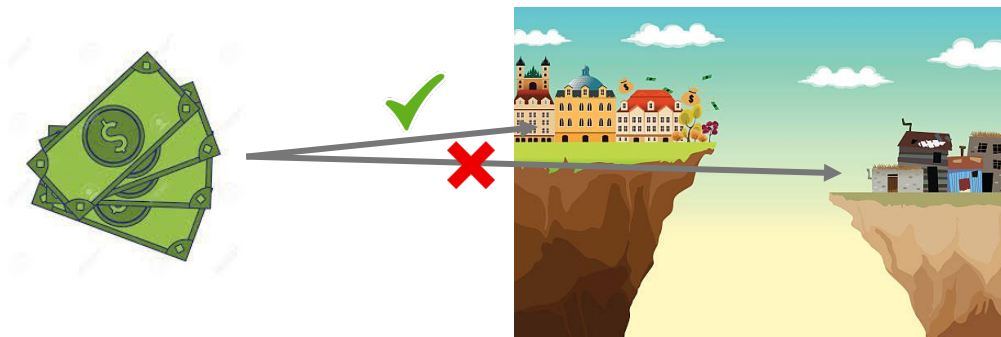
<http://research.google.com/bigpicture/attacking-discrimination-in-ml/>

# DISCRIMINATORY PRACTICES

We are running a classification task on a point set  $P$  with labels  $A$ . Say  $S$  is a protected class (i.e., a racial minority).

Discriminatory practices:

- **Blatant discrimination:** membership in  $S$  is explicitly used to give a worse outcome.
- **Redundant encoding:** blatant discrimination but you use a “proxy” metric.
  - **Redlining:** discriminating against neighborhoods because occupants are mostly minorities and/or low-income



# DISCRIMINATORY PRACTICES

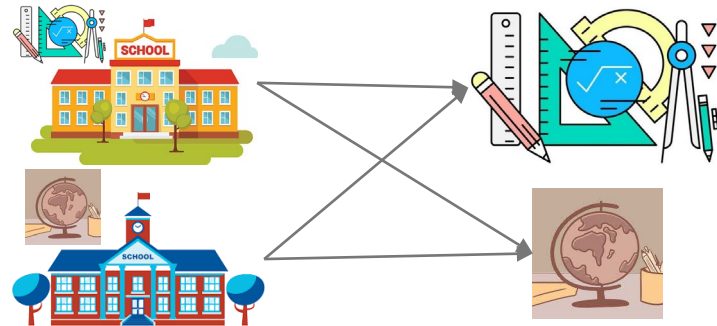
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Discriminatory practices:

- **Disproportionate discrimination:** discriminating against groups because occupants are *disproportionately* minorities and/or low-income.
- **Self-fulfilling prophecy:** deliberately choosing a specific subset of  $S$  to discriminate against  $S$ .
- **Reverse tokenism:** excusing discrimination against  $S$  by citing a “good” member of  $S^c$  who is denied service.

# LIMITATIONS OF GROUP FAIRNESS

**Reduced utility:** statistical parity can yield low-utility solutions.

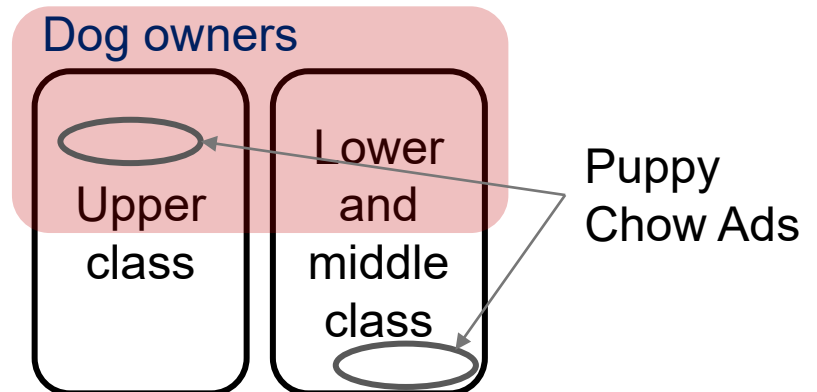


**Self-fulfilling prophecy:** you can select sub-optimal example and use that as a basis to discriminate.



|                 |                 |                |
|-----------------|-----------------|----------------|
| Kent<br>IQ: 145 | Mark<br>IQ: 115 | Zak<br>IQ: 95  |
| Kate<br>IQ: 145 | Eve<br>IQ: 115  | Rose<br>IQ: 95 |

**Subset targeting:** you can target irrelevant individuals in  $S$ , thereby catering more to  $S^c$ .

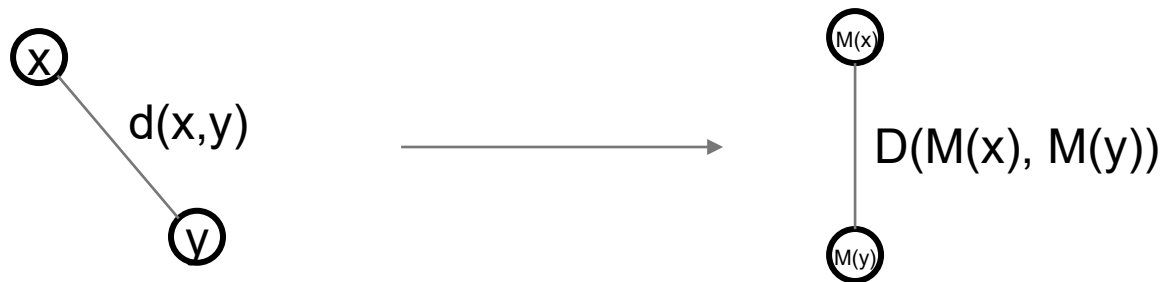


# INDIVIDUAL FAIRNESS

“**Lipschitz fairness**” or “**individual fairness**”: The closer two points are together, the closer their labels should be.

Recall our classifier is  $M$ , and  $M(x)$  is the label of a point  $x$ . Let  $d, D$  be a distance function.  $M$  is Lipschitz if for any  $x, y$  in  $P$ :

$$d(x, y) \leq D(M(x), M(y))$$



*Point space, distance function:  $d$*

*Label space, distance function:  $D$*



# WHY WE LIKE INDIVIDUAL FAIRNESS

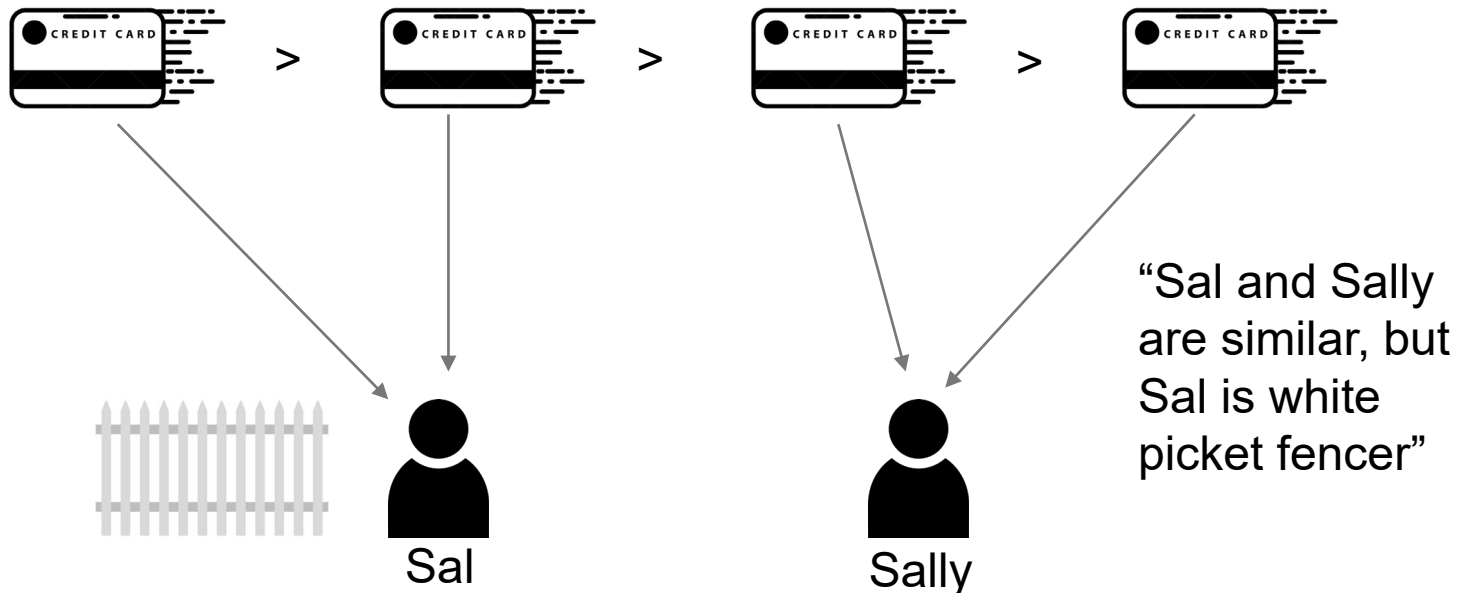
**Theorem:** In certain circumstances (i.e., certain distance measures), individual fairness implies group fairness.

- In other cases, you can force group fairness while retaining some individual fairness.

**Property:** Individual fairness is a generalization of *differential privacy*.

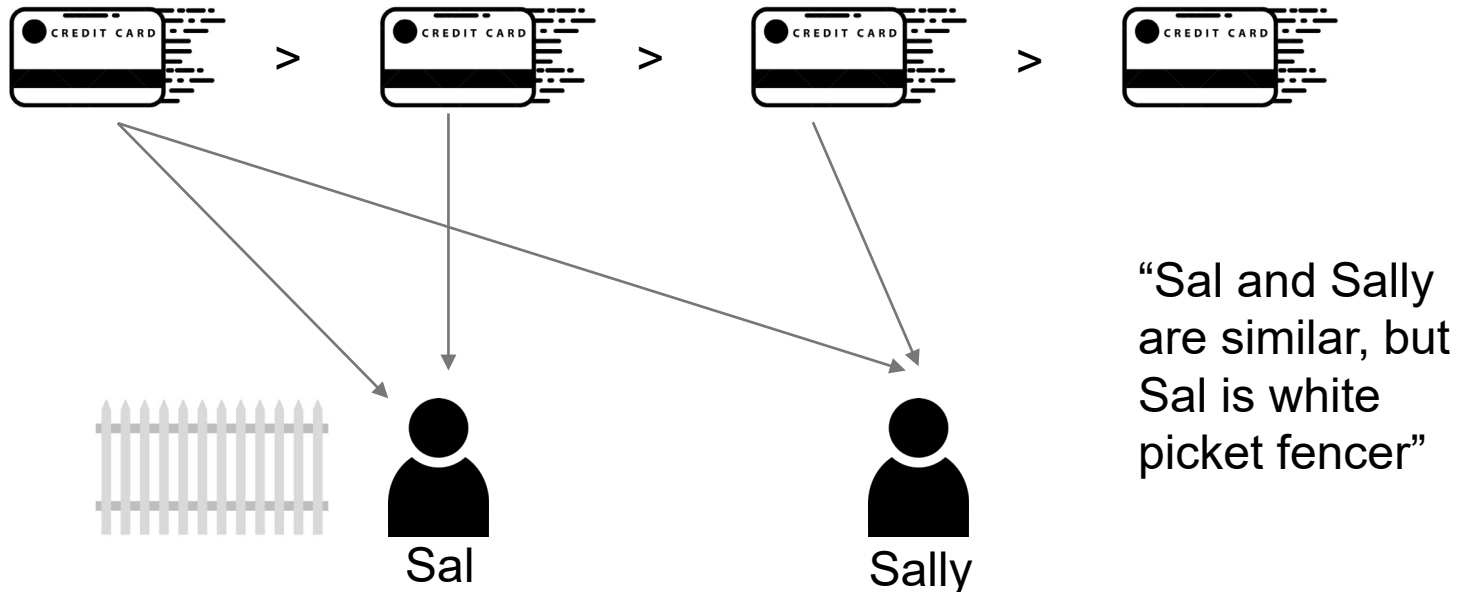
**Property:** Individual fairness prevents reverse tokenism, the self-fulfilling prophecy, and redundant encodings.

# EXAMPLE: AD NETWORK



Individual fairness guarantees that Sally and Sal are expected to have similar classifications. Prevents reverse tokenism and self-fulfilling prophecy (have them guess!)

# EXAMPLE: AD NETWORK



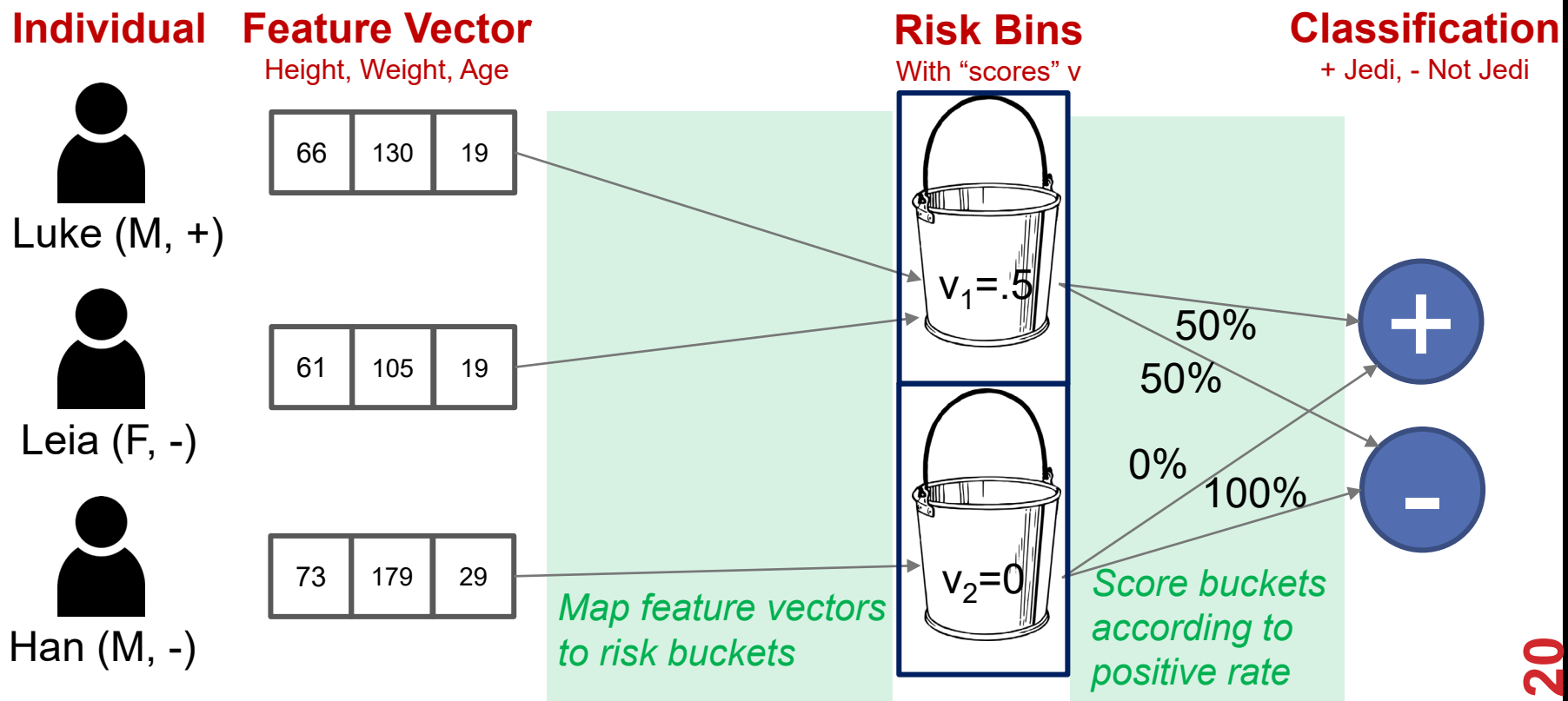
Individual fairness guarantees that Sally and Sal are expected to have similar classifications. Prevents reverse tokenism and self-fulfilling prophecy (have them guess!)

# RISK ASSIGNMENTS

**Warning:** For simplicity purposes, this uses binary gender labels, which may not reflect all possible groups in the data. The issue of datasets using binary gender labels is common and a current topic of interest in fair data collection.

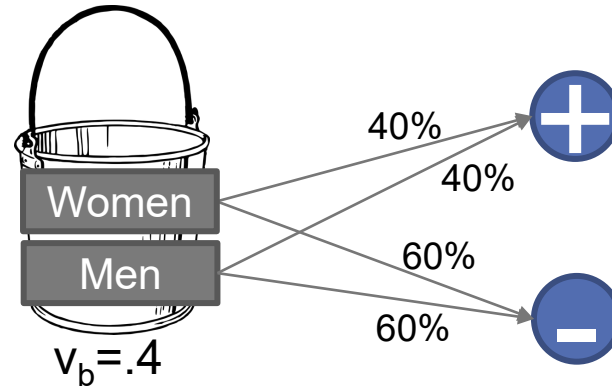
We can also quantify fairness through *risk assignments*.

Task: output a probability someone is a Jedi. Protect for gender.

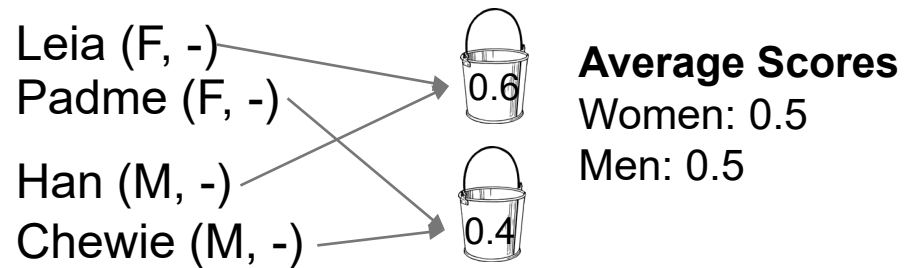


# FAIRNESS BY RISK ASSIGNMENT

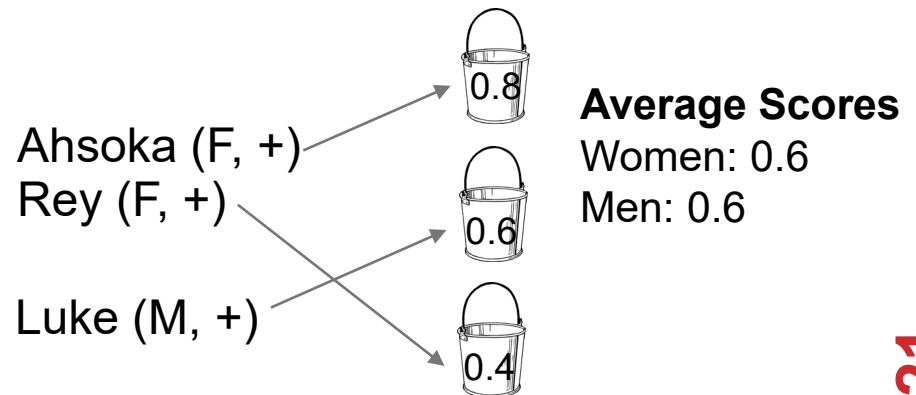
**Calibration within groups:** in any bin, men and women have the same chance of jedi classification.



**Negative class balance:** the average scores of non-jedi men and women are equal



**Positive class balance:** the average score of jedi men and women are equal.



# A PERPLEXING CASE: RECIDIVISM PREDICTION

**COMPAS risk tool:** an intelligent system used by the criminal justice system to assign an estimated chance of convicted criminals to commit reoffenses.



**Angwin et al.:** claimed that COMPAS discriminated against race because it failed to achieve both negative class balance and positive class balance.

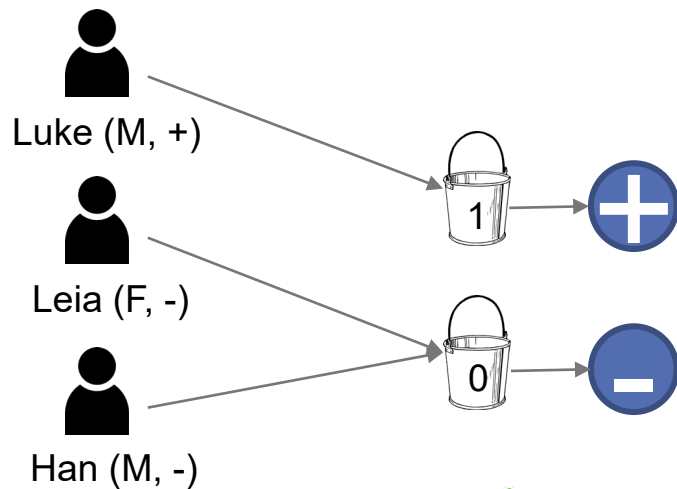
**Counter:** claimed COMPAS does not discriminate because it achieves calibration within groups.

*Does that mean it's okay or bad?*

# HOW MANY CONDITIONS CAN WE GET SIMULTANEOUSLY?

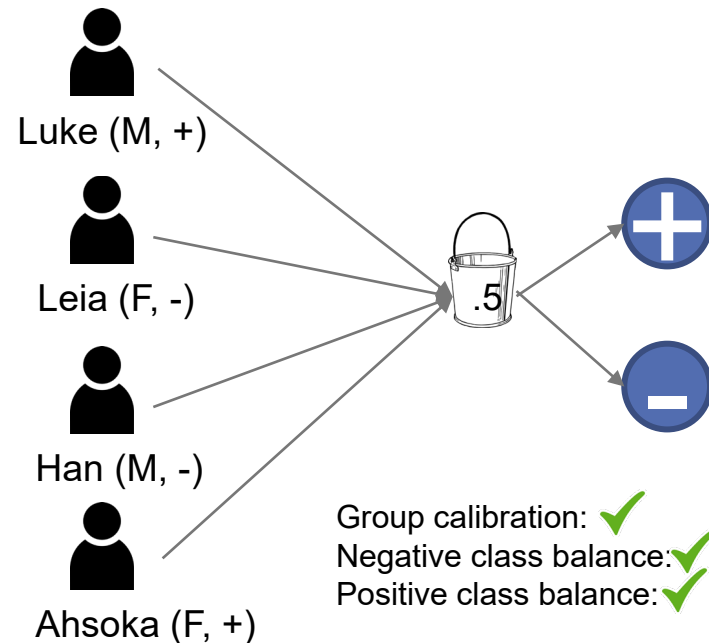
## Perfect prediction:

We are given who is a jedi.



Group calibration: ✓  
Negative class balance: ✓✓  
Positive class balance: ✓✓

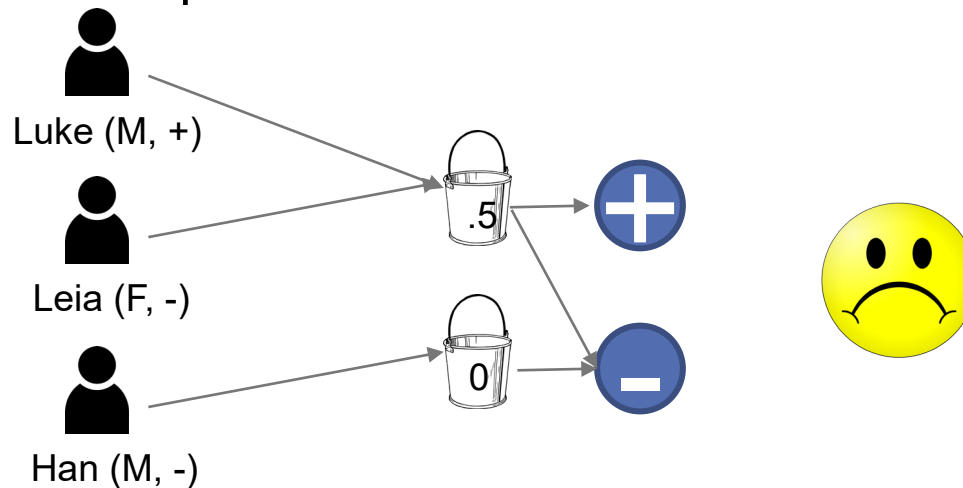
## Equal base rates: Men and women are equally likely to be jedi.



Group calibration: ✓  
Negative class balance: ✓✓  
Positive class balance: ✓✓

# BEYOND SPECIAL CASES

**Theorem:** group calibration, negative class balance, and positive class balance can be achieved all together if and only if there is perfect prediction or equal base rates.



**COMPAS:** Never could have achieved all 3! But maybe could have done 2.



# ETHICAL GUIDE TO FAIR MACHINE LEARNING

**Keep in mind:** algorithmic fairness inherently interacts with vulnerable and marginalized communities.

**Big question:** How do we ensure that we serve and give back to these communities

- Do not exploit fair algorithms

**Other big question:** How do we avoid harming these communities?

Some groups have codes for this, including [the AAAI code of ethics](#).

# FAIR ALGORITHMS CAN CAUSE HARM!

**Consider:** We know employers discriminate against applicant's criminal history. Since the criminal justice system exhibits racial discrimination, this issue can propagate to hiring.

- Solve this by banning employers from asking about criminal history?
- No: we know that employers then use race as a proxy for unknown criminal history. This *increases* racial discrimination.

**“Imposing a fairness constraint can make the disadvantaged group worse off if the fairness constraint and utilities of the population mismatch.”**

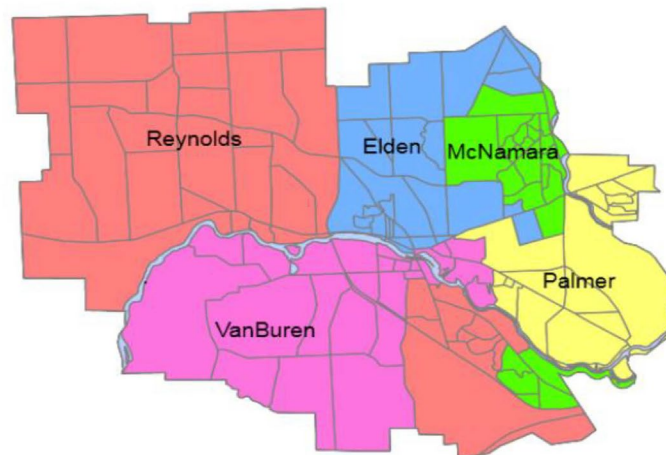
# EXAMPLE: SCHOOL DISTRICTING

In the US, the population is divided (“clustered”) into geographic districts. People in the same district use the same school system.

- Funding and resources are not distributed equitably
- Districts are segregated



Baldwinsville Central School District Elementary Boundary Map



This map is an approximate representation of our elementary attendance zones.

# EXAMPLE: SCHOOL DISTRICTING

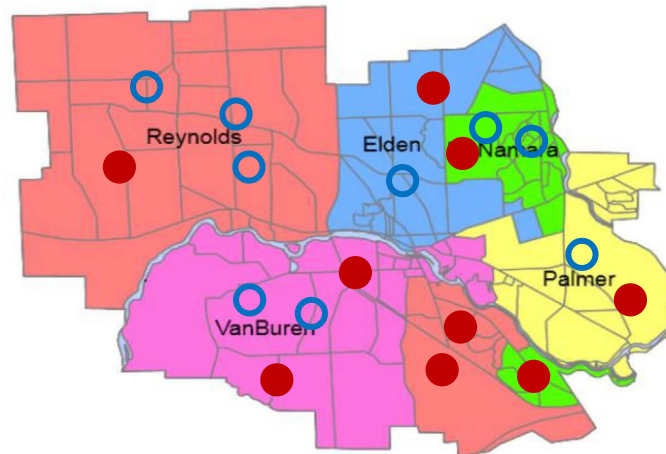
What if we impose fairness on this clustering problem?

- Ensure the clustering is group fair

Consider: Who are we serving, and how does this impact them?



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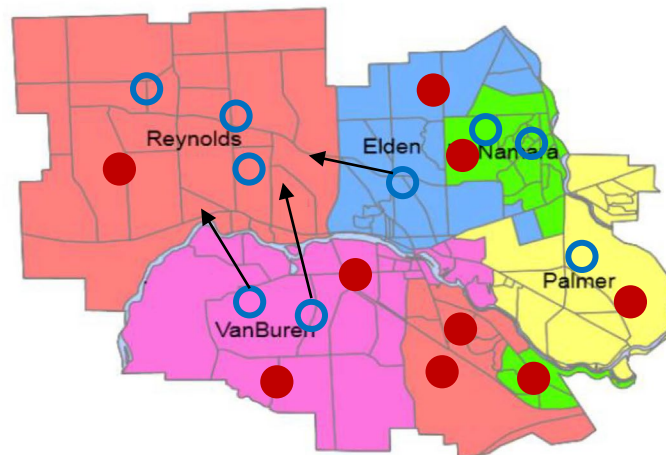
# EXAMPLE: SCHOOL DISTRICTING

Important considerations:

- Logistics and cost
- People move for schools!



Baldwinsville Central School District Elementary Boundary Map



This map is an approximate representation of our elementary attendance zones.

# WHEN YOU ARE TRYING TO APPLY FAIRNESS...

Applications and context matter

- Define and model fairness for specific social problems
- General abstractions are useful but often over-sold
- Use caution mapping ideas from fair classification to other fair problems (i.e., fair clustering...)

Fairness interventions do not act in a vacuum

- Broader context and upstream/downstream effects are important
- Different bad inputs require different fair algorithms
- How the algorithm's output is used must also be considered

# WHEN YOU ARE TRYING TO APPLY FAIRNESS...

Interdisciplinary research is the best way to use fairness well

- Know your limitations as a researcher, programmer, etc.
- Know relevant work in related areas
- Understand what compromises are most acceptable when ideals can't be achieved
- Establish what is/isn't allowed in practice (i.e., code of ethics)

Real people are involved!

- Who is this for?
- Who are we being fair to?
- What do they want?
- How do they want fairness defined?